

Vipul's
B.Sc. (IT) Series

Applied Mathematics



D. M. DOKE
LATIKA BONDE



AS PER REVISED SYLLABUS OF B.Sc. (IT) COURSE
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Vipul's™
APPLIED
MATHEMATICS

(B.Sc. (IT) Second Year : Third Semester)

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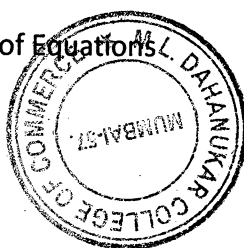


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